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**SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR**  
(AUTONOMOUS)**B.Tech II Year II Semester Regular Examinations October-2020**  
**PROBABILITY THEORY AND STOCHASTIC PROCESSES**  
(Electronics & Communication Engineering)

Time: 3 hours

Max. Marks: 60

**PART-A**

(Answer all the Questions 5 x 2 = 10 Marks)

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| <b>1</b> | <p><b>a</b> Define Exhaustive event &amp; mutually exclusive event. <span style="float: right;"><b>2M</b></span></p> <p><b>b</b> Define joint moments about the origin. <span style="float: right;"><b>2M</b></span></p> <p><b>c</b> What is a stationary process? Explain. <span style="float: right;"><b>2M</b></span></p> <p><b>d</b> Show that the power spectral density is an even function. <span style="float: right;"><b>2M</b></span></p> <p><b>e</b> Explain mean value of output response. <span style="float: right;"><b>2M</b></span></p> |
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**PART-B**

(Answer all Five Units 5 x 10 = 50 Marks)

**UNIT-I**

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| <b>2</b> | <p><b>a</b> State and prove Bayes theorem of probability. <span style="float: right;"><b>5M</b></span></p> <p><b>b</b> Define distribution and density function. State its properties. <span style="float: right;"><b>5M</b></span></p> |
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**OR**

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| <b>3</b> | <p><b>a</b> Explain the different types of random variables. <span style="float: right;"><b>5M</b></span></p> <p><b>b</b> Discuss Rayleigh and exponential distribution functions. <span style="float: right;"><b>5M</b></span></p> |
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**UNIT-II**

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| <b>4</b> | <p><b>a</b> Random variable X and Y have the density: <span style="float: right;"><b>5M</b></span><br/> <math>f_{X,Y}(x,y) = 1/24</math> ; for <math>0 &lt; X &lt; 6, 0 &lt; Y &lt; 4</math><br/> <math>0</math> ; elsewhere<br/>           What is the expected value the function <math>g(X,Y)=(XY)^2</math>?</p> <p><b>b</b> Briefly explain about jointly Gaussian random variables. <span style="float: right;"><b>5M</b></span></p> |
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**OR**

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| <b>5</b> | <p>Two random variable X and Y with joint density function <span style="float: right;"><b>10M</b></span><br/> <math>f_{X,Y}(x,y) = Ae^{-(2x+y)}, x &gt; 0, y &gt; 0</math><br/> <math>0</math> Otherwise<br/>           i)Find 'A' ii)Find Marginal density functions?</p> |
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**UNIT-III**

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| <b>6</b>  | <p>Explain about first order, second, wide-sense and strict sense stationary process. <span style="float: right;"><b>10M</b></span></p>   |
| <b>OR</b> |   |
| <b>7</b>  | <p><b>a</b> Show that the auto correlation function of a stationary random process is an even function of <math>\tau</math>. <span style="float: right;"><b>6M</b></span></p> <p><b>b</b> Give the classification of random processes. <span style="float: right;"><b>4M</b></span></p> |

**UNIT-IV**

- 8    **a** State and Prove the properties of Power density Spectrum? **6M**  
      **b** Derive the power spectral density at zero frequency is equal to the area under the curve of the autocorrelation  $R_{xx}(\tau)$ ? **4M**

**OR**

- 9    **a** The power spectral density of a stationary random process is given by **5M**  
       $S_{xx}(\omega) = A; -k < \omega < k$   
      0; otherwise Find the auto correlation function.  
      **b** State and Prove the properties of cross-correlation function. **5M**

**UNIT-V**

- 10   **a** Explain about LTI system. **5M**  
      **b** Find the power density spectrum of response of a linear system. **5M**

**OR**

- 11   Derive the expressions for mean. Autocorrelation, cross correlation and PSD of response of a linear System **10M**

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